

First determination of the charge-averaged e^{\pm} -p cross section

Jan C. Bernauer (SBU) and Axel Schmidt (GWU)

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RBRC
RIKEN BNL Research Center



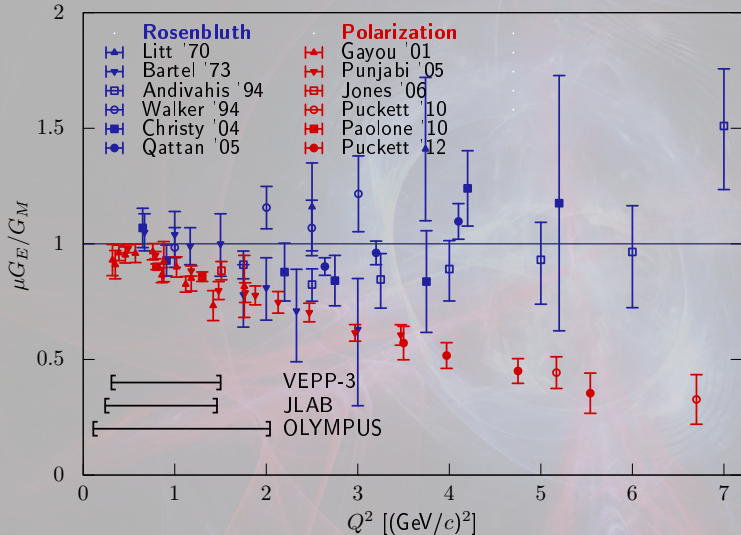
**Stony Brook
University**



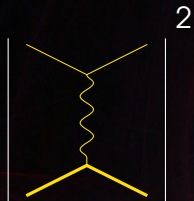
Massachusetts Institute of Technology

Work partly supported by the DOE Office of Science

At large Q^2 , we have a puzzle:

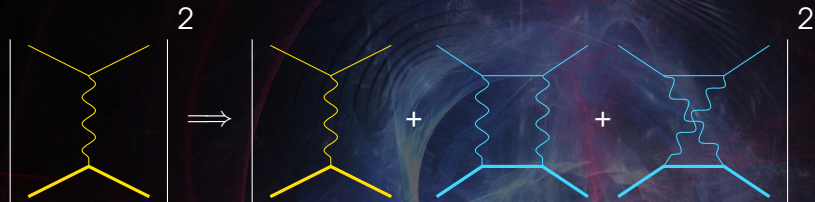


Expected explanation: Two Photon Exchange



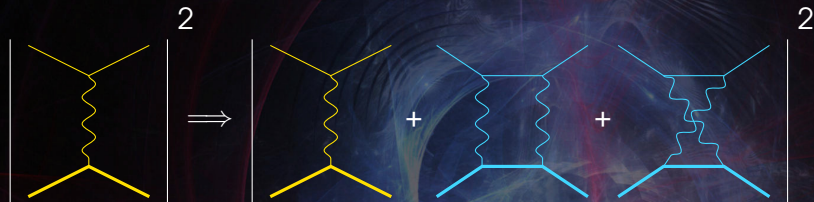
$$\sigma_{exp} \propto |M_{1\gamma}|^2$$

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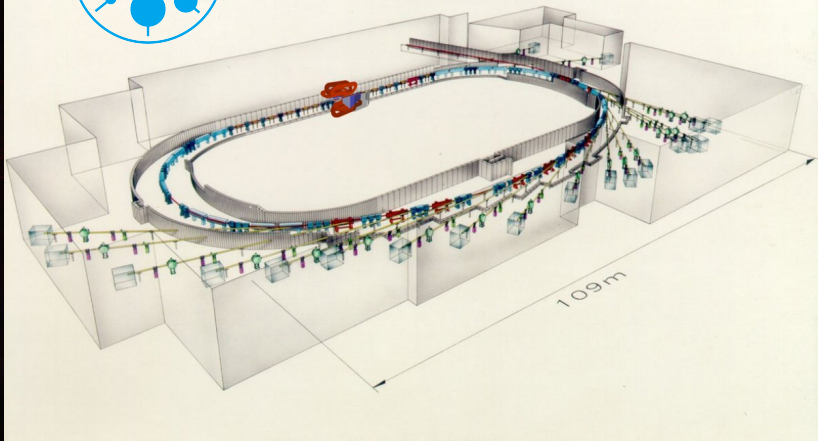
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Rosenbluth:

$$\sigma_{exp} = \sigma_{1\gamma} (1 + \delta_{TPE})$$

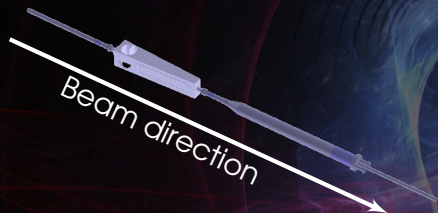
Negligible correction for polarization data

OLYMPUS at DESY/DORIS

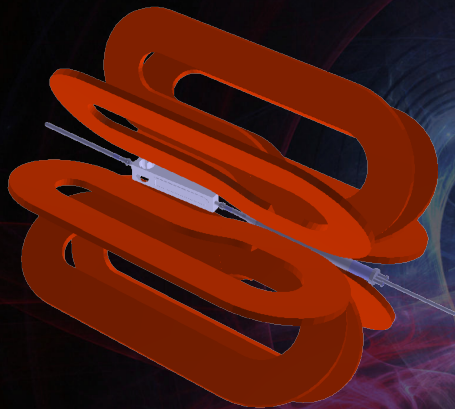


Anatomy of the OLYMPUS detector

» Target chamber with target cell



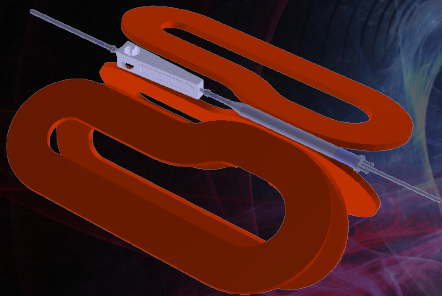
Anatomy of the OLYMPUS detector



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- » Target chamber with target cell
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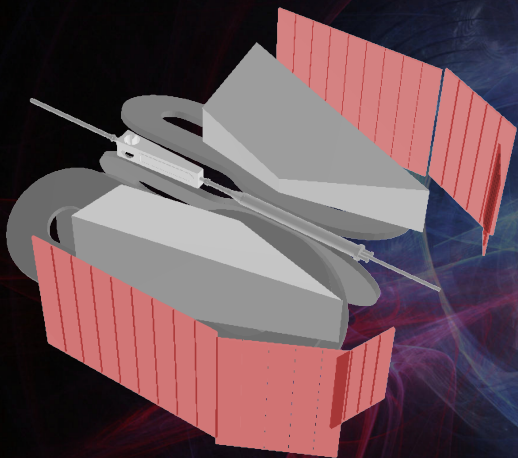
Anatomy of the OLYMPUS detector

- » Target chamber with target cell
- » Toroid magnet coils (half shown)
- » Drift chambers

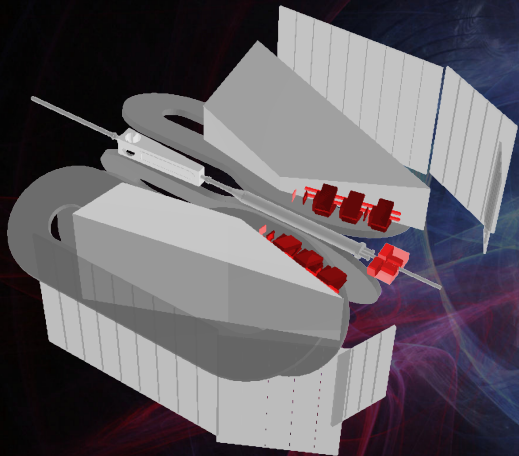


Anatomy of the OLYMPUS detector

- » Target chamber with target cell
- » Toroid magnet coils (half shown)
- » Drift chambers
- » Time of flight scintillators

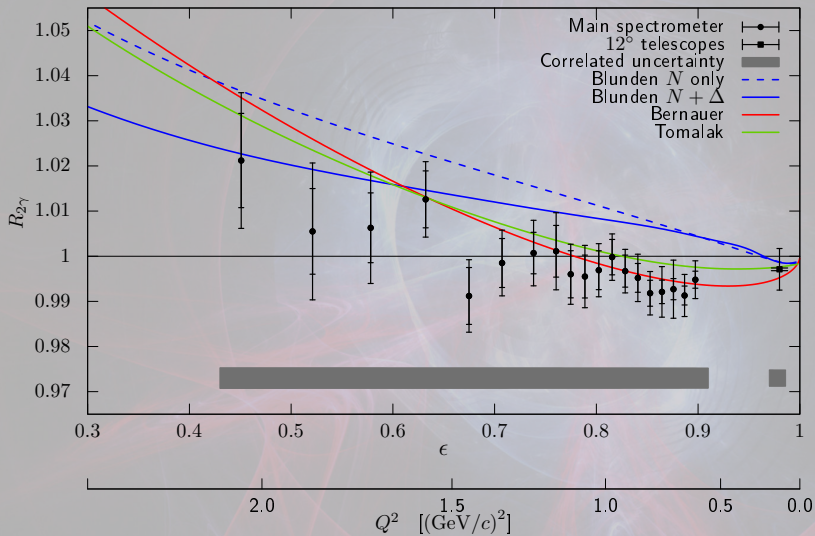


Anatomy of the OLYMPUS detector



- » Target chamber with target cell
- » Toroid magnet coils (half shown)
- » Drift chambers
- » Time of flight scintillators
- » Dual luminosity monitors
 - » 12° -detector
 - » Symmetric Møller/Bhabha

OLYMPUS $R_{2\gamma}$ result (B. Henderson et al., PRL. 118, 092501 (2017))



Can we squeeze more out of OLYMPUS?

If

$$\sigma_{e+} = \sigma_{1\gamma} (1 + \delta_{TPE})$$

and

$$\sigma_{e-} = \sigma_{1\gamma} (1 - \delta_{TPE})$$

Then:

$$\sigma_{1\gamma} = \frac{\sigma_{e+} + \sigma_{e-}}{2}$$

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We can get an approximately non-TPE effected cross section from the charge-average!

The tricky parts

Experiment was optimized for ratio measurement:

- » **Luminosity:**
 - » **Slow control:** works in principle, unknown absolute normalization.
 - » **12 degree:** Acceptance hard to control.
 - » **SYMB!** But about 7% absolute uncertainty!
(see NIM A 877 pp. 112--117 (2018),
arXiv:1708.04616)

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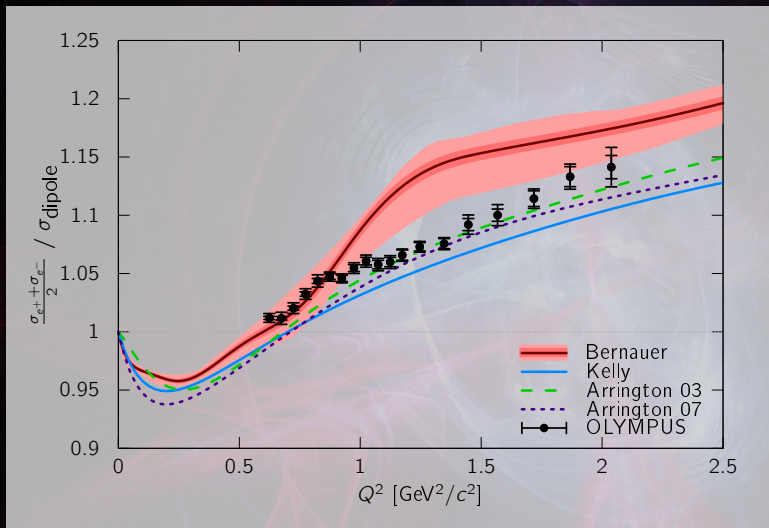
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- » **Total absolute uncertainty: 7.5%**

Result (arXiv:2008.05349, submitted to PRL)



- » Data rules out cusp seen in Mainz fit
- » All shown curves must make assumptions about TPE!

OLYMPUS collaboration

- » Arizona State University, USA
- » DESY, Hamburg, Germany
- » Hampton University, USA
- » INFN, Bari, Italy
- » INFN, Ferrara, Italy
- » INFN, Rome, Italy
- » MIT Laboratory for Nuclear Science, Cambridge, USA
- » Petersburg Nuclear Physics Institute, Gatchina, Russia
- » University of Bonn, Bonn, Germany
- » University of Glasgow, United Kingdom
- » University of Mainz, Mainz, Germany
- » University of New Hampshire, USA
- » Yerevan Physics Institute, Armenia

Backup



Remarks / Conclusion

All of these fits have to do tricks to do get the true form factors out:

- » Kelly: for $Q^2 > 1(\text{GeV}/c)^2$, take G_M from Rosenbluth exps, and G_E/G_M from polarized.
- » Arrington 03: Ad-hoc correction of 6% on cross section
- » Arrington 07: Ad-hoc correction on top of theoretical calculations
- » Bernauer: Feshbach+simple model for TPE, fit together with form factors to both Rosenbluth + polarized.

Highly relevant data, bridging large Q^2 range with one normalization. Will have sizeable impact on fits.